

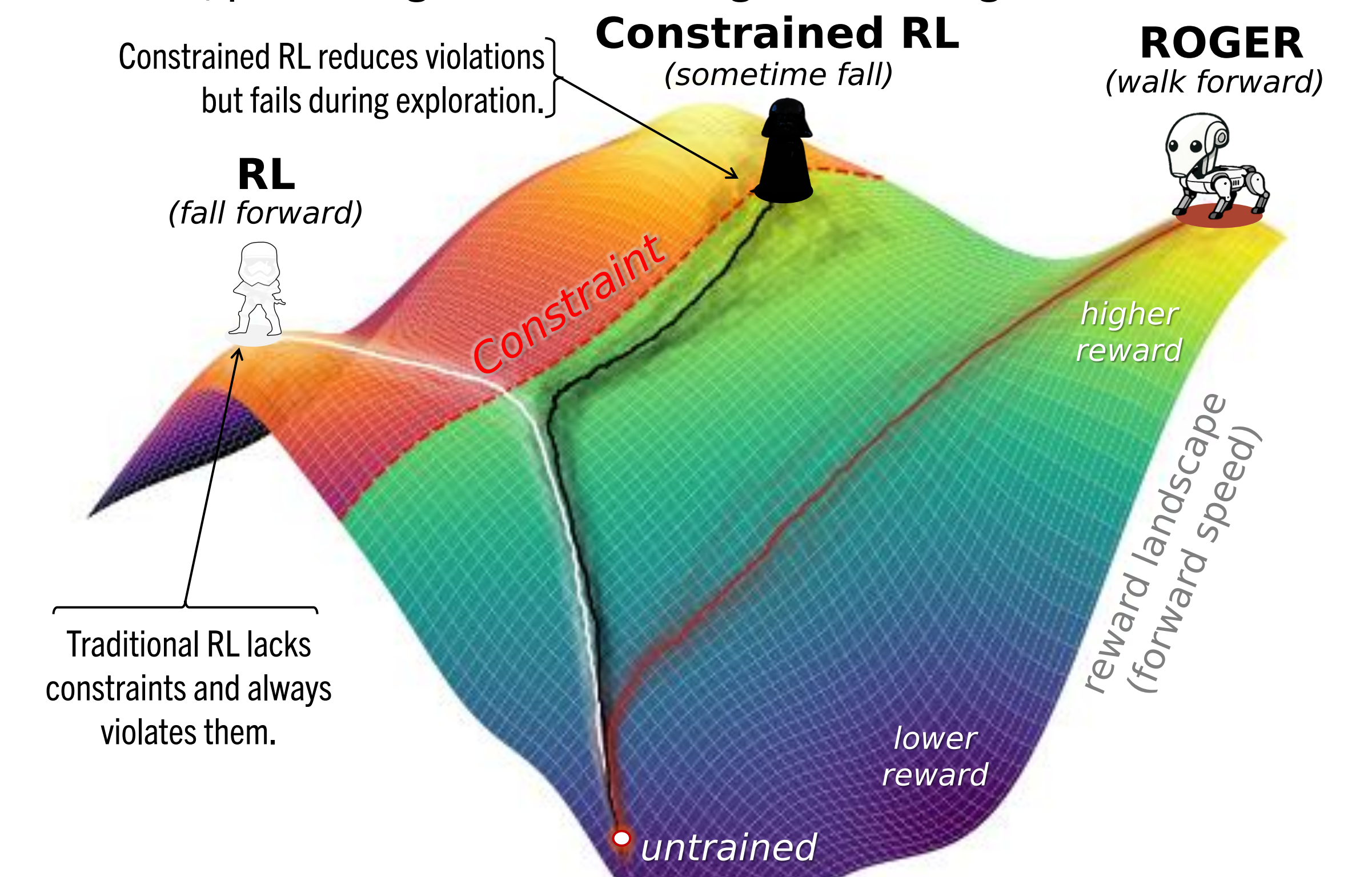
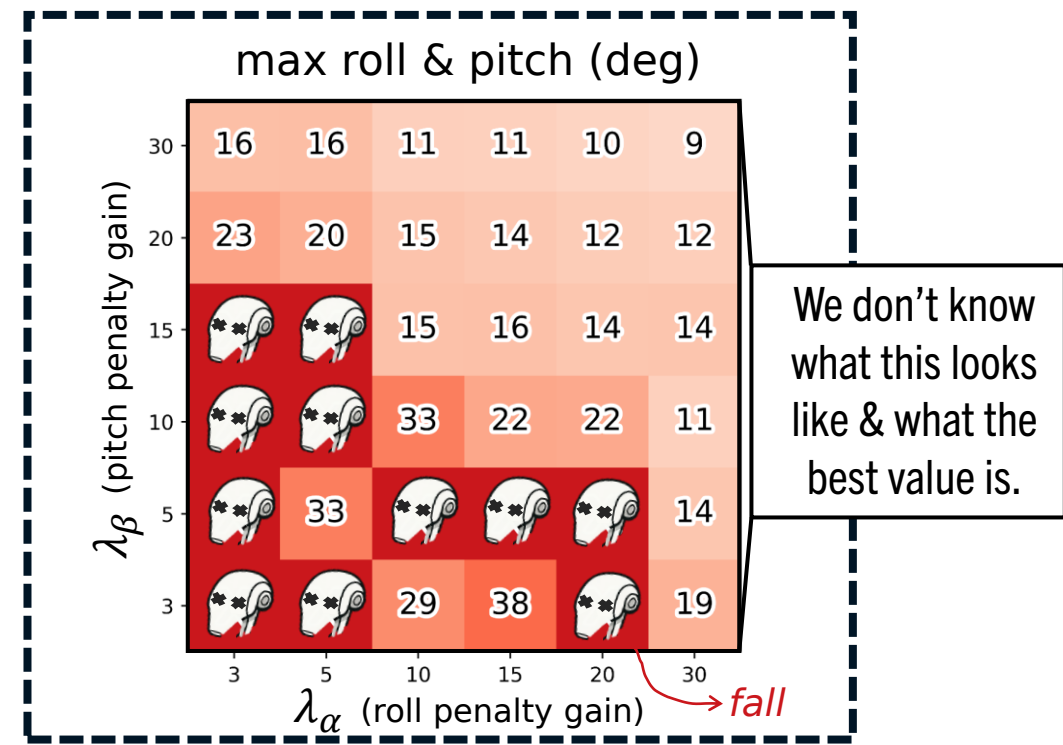
# Gain Tuning Is Not What You Need:

## Reward Gain Adaptation for Constrained Locomotion Learning

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### Introduction

- In general, Reinforcement Learning (RL) is **sample inefficient** and **cannot satisfy constraints** during learning, making real-world RL impossible.
- Finding a **good reward function** is also **exhaustive, sensitive, and unpredictable**, with no clear way to determine which gain values guarantee constraint satisfaction.
- This work introduces **ROGER** that uses embodied interaction and **intuitive constraint thresholds** to recompute new weighting gains online, preventing violations throughout learning.



"YOU WERE THE CHOSEN ONE! SAID TO BRING LEARNING TO THE **REAL WORLD**, NOT GET STUCK IN **ENDLESS TUNING!** TO **ENFORCE CONSTRAINTS**, NOT BREAK THEM!"

"I DON'T LIKE SIM. IT **OVERFITS**, AND **DOESN'T TRANSFER**."

MASTER CANNOT-BE, AFTER EVERY FAILED RUN.

RL-KIN, AFTER POLICY DEPLOYMENT.

NOTHING. JUST HIGH GROUND.

### Constrained RL

- Fixed-weighting** constrained RL enforces constraints by manually tuning penalty weights or shaping reward functions.
- Adaptive-weighting** constrained RL adjusts penalty weights dynamically using primal-dual or switching mechanisms.

Techniques	Reward Gain ( $\lambda_t$ )	Penalty Gain ( $\lambda_{it}$ )
Fixed-weighting & Control Barrier Function (CBF)	1.0 (fixed)	tuned and fixed
Primal-Dual Optimization (PDO)	1.0 (fixed)	$[\lambda_{it} + \eta_\lambda (\hat{R}_{it} - (\tau_i - \delta_i))]_+$
Online Learning of Auxiliary Loss (OL-AUX)	1.0 (fixed)	$\lambda_{it} + \eta_\lambda \nabla \mathbb{E}[R_{ut}] \nabla \mathbb{E}[\hat{R}_{it}]$
Constrained Rectified Policy Optimization (CRPO)	0.0 if (exist $\hat{R}_{it} > \tau_i - \delta_i$ ) else 1.0	1.0 if ( $\hat{R}_{it} > \tau_i - \delta_i$ ) else 0.0

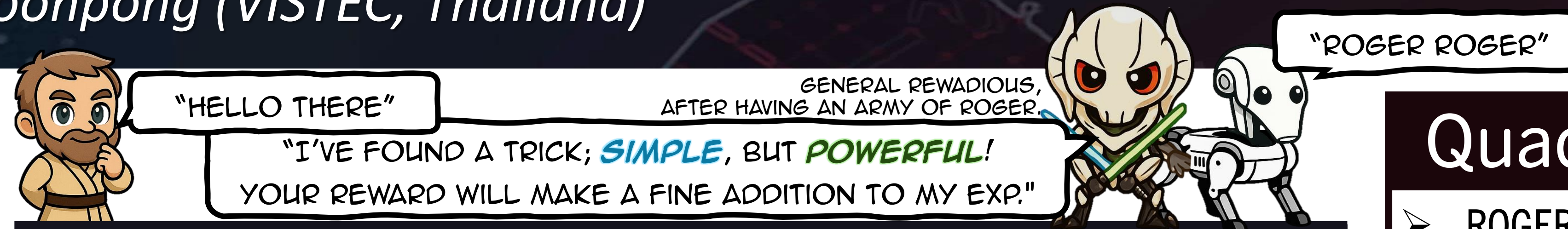
[Constrained RL] A review of safe reinforcement learning, PAMI, 2024.

[CRPO] Crpo: Safe reinforcement learning with convergence guarantee, ICML, 2021.

[OL-AUX] Adaptive auxiliary task weighting for reinforcement learning, NeurIPS, 2019.

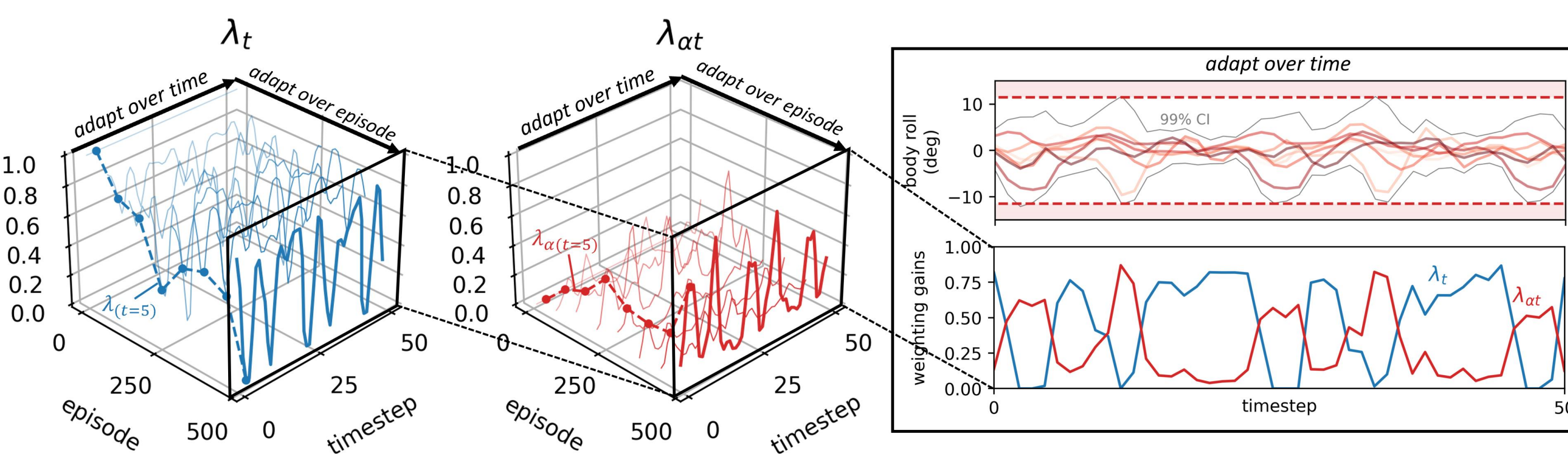
[SME-AGOL] Interpretable neural control with adaptable online learning for sample efficient, TNNLS, 2025.

[GOLLUM] Growable neural control with online learning for continual locomotion learning, IJRR, 2025.

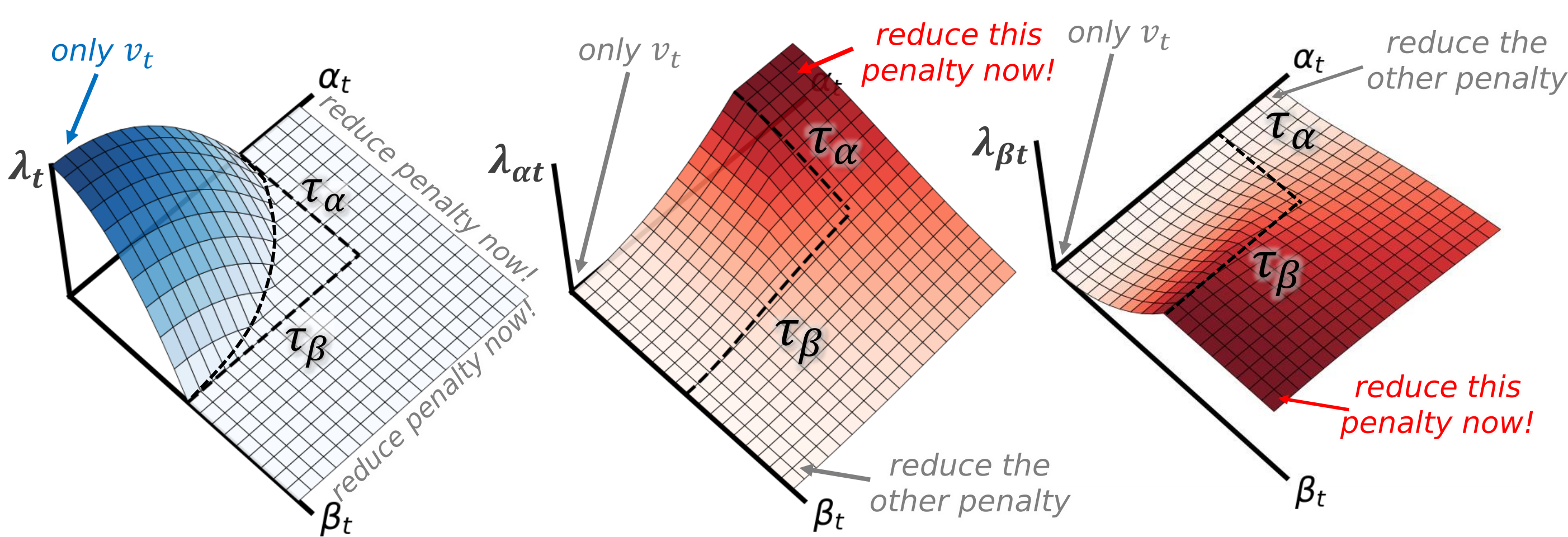


### ROGER (Reward-Oriented Gains via Embodied Regulation)

- Key Idea:** ROGER prioritizes constraint satisfaction when penalties approach thresholds and automatically shifts focus back to task rewards once safe behavior is restored.



- ROGER uses **fixed manifolds** below to map current penalty values to weighting gains on-the-fly. Unlike learning-based methods (e.g., PDO, OL-AUX), ROGER has **no update delay, no tuning, and minimal computation time (~0.46 ms)**.



- Only 3 steps to construct these manifolds: (1) estimate constraint proximities using thresholds, (2) compute penalty ratios, and (3) map to weighting gains.

$$\begin{aligned} \delta_{\alpha t} &= \frac{|\alpha_t|}{\tau_\alpha} \\ \delta_{\beta t} &= \frac{|\beta_t|}{\tau_\beta} \end{aligned} \quad \text{intuitive constraint thresholds (max roll, max pitch, max torque)}$$

$$\Delta_t = \min\{\delta_{\alpha t}^2 + \delta_{\beta t}^2, 1.0\}$$

$$r_{\alpha t} = (\delta_{\alpha t}^2) / (\delta_{\alpha t}^2 + \delta_{\beta t}^2)$$

$$r_{\beta t} = (\delta_{\beta t}^2) / (\delta_{\alpha t}^2 + \delta_{\beta t}^2)$$

$$\begin{bmatrix} \lambda_t \\ \lambda_{\alpha t} \\ \lambda_{\beta t} \end{bmatrix} = \begin{bmatrix} 1 - \Delta_t \\ r_{\alpha t} \Delta_t \\ r_{\beta t} \Delta_t \end{bmatrix}$$

constraint proximities      penalty ratios      adaptive weighting gains

- ROGER is **Lyapunov-stable** and guarantees improvement of the primary objective/reward after learning.

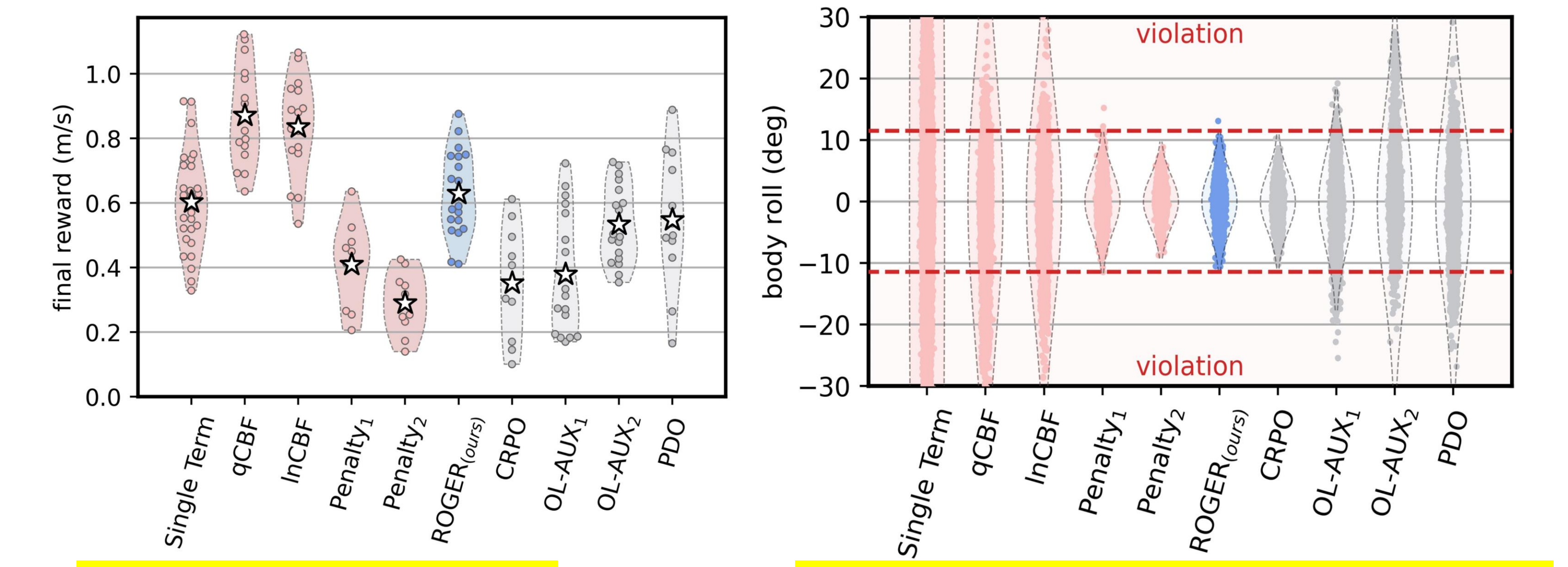
#### Algorithm 1 Reinforcement Learning with ROGER

- Perform exploration and collect trajectory  $\tau$ .
- Compute estimated penalties ( $|\tilde{\alpha}_t|$  and  $|\tilde{\beta}_t|$ ) using:  $\begin{bmatrix} |\tilde{\alpha}_t| \\ |\tilde{\beta}_t| \end{bmatrix} = \sum \gamma^i \begin{bmatrix} |\alpha_{t+i}| \\ |\beta_{t+i}| \end{bmatrix} / \sum \gamma^i$ .
- Compute weighting gains ( $\lambda$ s) using ROGER:  $\begin{bmatrix} \lambda_t \\ \lambda_{\alpha t} \\ \lambda_{\beta t} \end{bmatrix} = \begin{bmatrix} 1 - \Delta(|\tilde{\alpha}_t|, |\tilde{\beta}_t|) \\ r_{\alpha t} \Delta(|\tilde{\alpha}_t|, |\tilde{\beta}_t|) \\ r_{\beta t} \Delta(|\tilde{\alpha}_t|, |\tilde{\beta}_t|) \end{bmatrix}$ .
- Update policy using combined reward or advantage:  $R_t = \lambda_t v_t - \lambda_{\alpha t} |\alpha_t| - \lambda_{\beta t} |\beta_t|$  or  $A_t = \lambda_t A_v t - \lambda_{\alpha t} A_{\alpha t} - \lambda_{\beta t} A_{\beta t}$ .

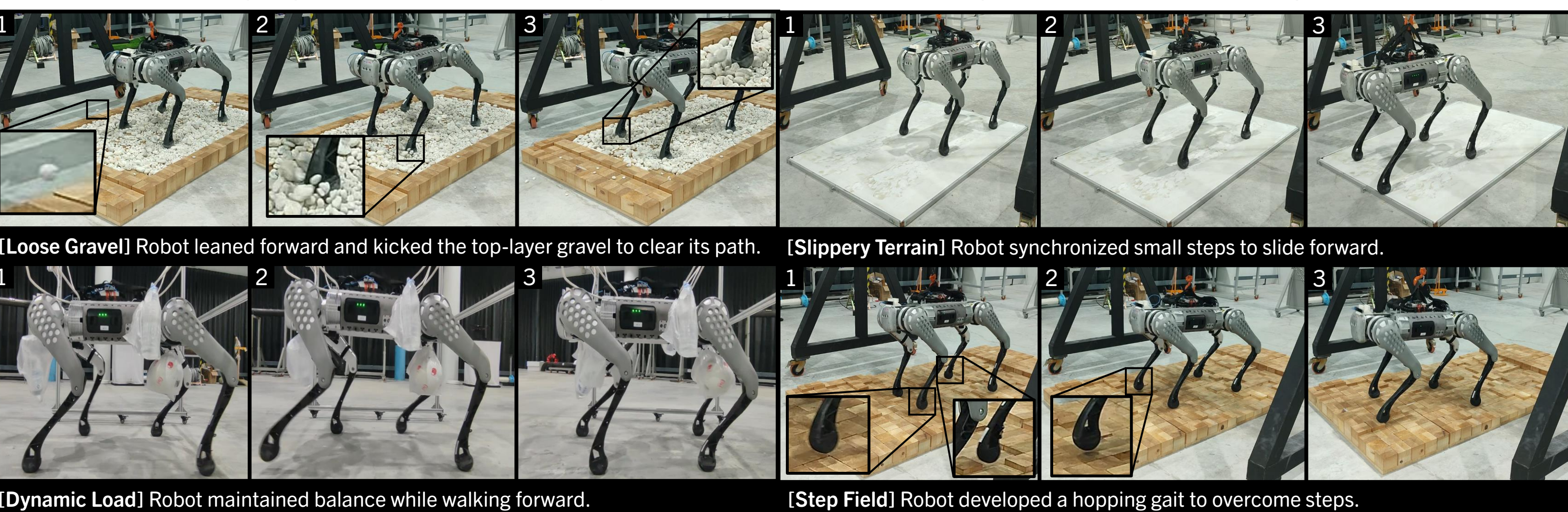
POORLY TUNED RL      WELL-TUNED CONSTRAINED RL      ROGER

### Quadruped Robot

- ROGER achieves constraint satisfaction with **<5 violations over 50,000 training timesteps**, even when using small training samples (only  $\approx 50$  timesteps/update).
- ROGER yields **50% higher final reward** compared to other state-of-the-art techniques.



- Physical locomotion learning** was achieved **within 30 mins from scratch without any falls** on challenging conditions (loose gravel, step field, slippery terrain, and with dynamic load).



### MuJoCo Benchmark

- ROGER can be applied to **other types of robots and control**, e.g., FCNN + PPO.
- Under **restricted constraints**, ROGER prioritizes reducing penalties first and then optimizes the main objective once the constraints are satisfied.

	Robot/Environment	Final Values			#Violation (throughout)		
		Default	CRPO	ROGER	Default	CRPO	ROGER
ROGER	Ant	Distance (m; $\infty$ reward)	106.02	57.50	117.45	n/a	n/a
		Torque (Nm), $\tau = 1.0$	0.25	0.93	0.39	10 <sup>-10</sup>	0.82
		Height (m), $\tau = 0.2$	0.00	0.00	0.00	10 <sup>-5</sup>	10 <sup>-5</sup>
		Roll ( $^\circ$ ), $\tau = 45$	12.37	16.04	10.00	10 <sup>-7</sup>	0.02
		Pitch ( $^\circ$ ), $\tau = 45$	8.27	10.88	5.35	10 <sup>-8</sup>	10 <sup>-7</sup>
default	Cheetah	Distance (m; $\infty$ reward)	46.10	82.48	92.25	n/a	n/a
		Torque (Nm), $\tau = 1.0$	0.76	0.98	0.55	10 <sup>-12</sup>	0.88
		Pitch ( $^\circ$ ), $\tau = 10$	6.13	3.66	5.53	0.08	10 <sup>-5</sup>
CRPO	Hopper	Distance (m; $\infty$ reward)	5.23	6.42	6.57	n/a	n/a
		Torque (Nm), $\tau = 1.0$	0.78	0.80	0.33	0.01	0.01
		Pitch ( $^\circ$ ), $\tau = 10$	5.10	4.38	2.06	0.14	0.01
Walker		Distance (m; $\infty$ reward)	5.99	1.91	11.65	n/a	n/a
		Torque (Nm), $\tau = 1.0$	0.91	0.94	0.40	10 <sup>-7</sup>	0.01
		Pitch ( $^\circ$ ), $\tau = 45$	21.00	7.62	8.31	0.07	8.07

blue text: best performance (highest reward, lowest penalty); red text: %violation > 0.01

In conclusion, use ROGER when:

- You're doing high-stakes real-world fine-tuning or continual learning.
- You're tired of reward tuning.

TRY OR TRY NOT, THERE IS NO DUE

DAYO, AFTER YOU READ THIS POSTER.

[https://github.com/Arthicha/ROGER\\_ROGER\\_public](https://github.com/Arthicha/ROGER_ROGER_public)